

Introduction



Outline

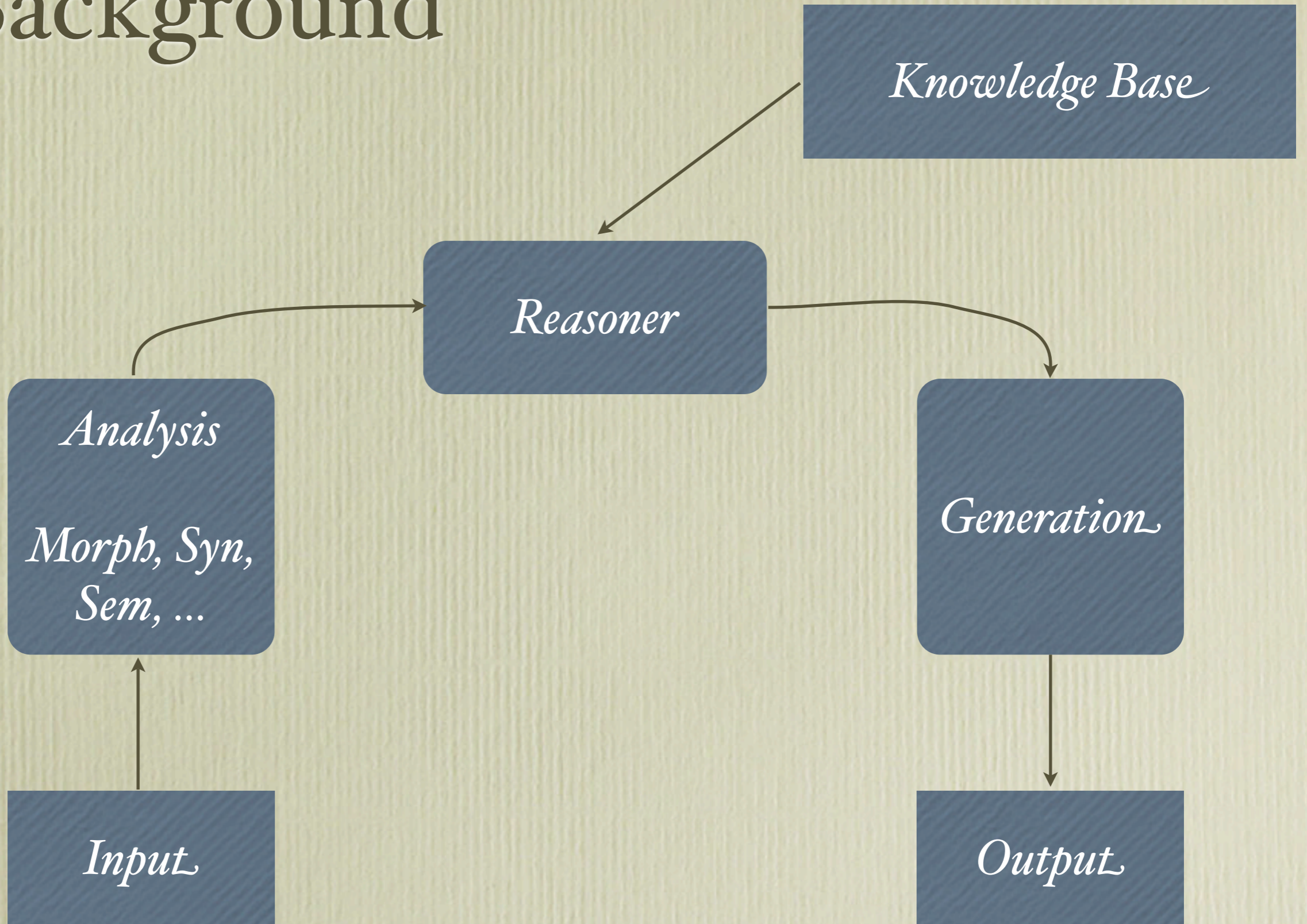
- Background
- Organizational Matters

Background

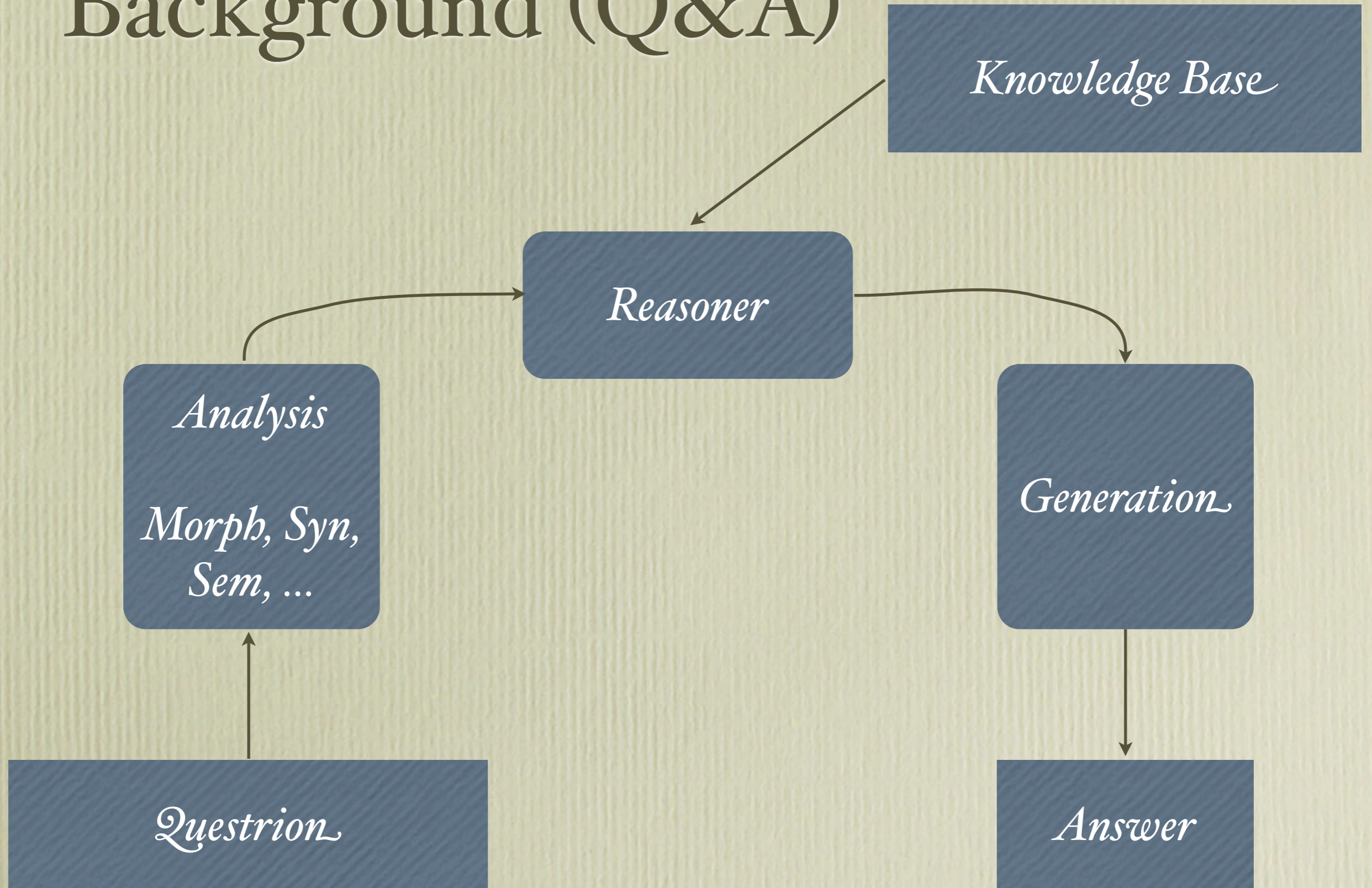
Background

- Proper interpretation of natural language requires knowledge
- Knowledge needs to be formalized to be usable in CL-Systems
- Formalized knowledge is usually contained in knowledge bases

Background



Background (Q&A)



Background

- (Logical) Formalism used for
 - Knowledge Representation (KB)
 - “Language-independent” Sentence representation
- Formalism provides reasoning algorithms

First-Order Logic

- Logical Symbols:
Connectives $\vee, \wedge, \neg, \rightarrow, \leftrightarrow$
Quantification \forall, \exists
Identity $=$
- Variables $IV = \{x, y, z, x_1, \dots\}$
- Non-logical constants
 - Individual constants $IC = \{a, b, c, a_1, \dots\}$
 - n -ary Relations: $RC_0 = \{p, q, r, \dots\}$;
 $RC_1 = \{F, G, H, \dots\}$;
 $RC_2 = \{P, Q, R, \dots\}$

First-Order

- $F(a) \wedge F(b)$

*Hans und Maria
sind Studenten.*

- $R(a, b) \wedge R(b, a)$

*Hans und Maria
sind Freunde.*

- $\exists x[F(x) \wedge \forall y[G(y) \rightarrow R(y, x)]]$

Alle sitzen in einem

*Jeder sitzt in einem
Boot.*

- $\forall y[G(y) \rightarrow \exists x[F(x) \wedge R(x, y)]]$

*Nur Maria ist
intelligent.*

- $\forall x[F(x) \leftrightarrow x = a]$

First-Order Logic III

- Semantics!
- $M = \langle U, V \rangle$
- U : Individuals ($U \neq \emptyset$)
- V maps non-logical constants to values:
 - $V(R^n) \subseteq U^n, n \geq 1$ for n -ary relation constants R^n
 - $V(p) \in [0, 1]$ for sentence constants p
 - $V(a) \in U$ for individual constants a
- h maps variables to individuals: $h : IV \rightarrow U$

First-Order Logic IV

- $\llbracket x \rrbracket^{M,h} = h(x)$ for $x \in IV$
- $\llbracket R^n \rrbracket^{M,h} = V(R^n)$ for $R^n \in RC_n$
- $\llbracket \neg A \rrbracket^{M,h} = 1$ iff $\llbracket A \rrbracket^{M,h} = 0$
- $\llbracket A \rightarrow B \rrbracket^{M,h} = 1$ iff $\llbracket A \rrbracket^{M,h} = 0$ or $\llbracket B \rrbracket^{M,h} = 1$
- ...

Prolog

- Implements FOL (more or less)
- Pitfalls:
 - Ordering of rules
 - Negation as failure
(Closed World Assumption)

Limitations of FOL

- Simple Models:
 - “Der Bundeskanzler fliegt nach China.” vs.
“Der Bundeskanzler wechselt.”
- Simple Language:
 - “Das Auto ist rot” vs.
“Intelligenz ist eine nützliche Eigenschaft”

Limitations of FOL II

- Vagueness
 - “Most people can read.”
“Some people can read.”
“Few people can read.”
 - “The basketball player X is tall.” vs.
“The linguist X is tall.”
- Exceptions / Generic Statements
 - “Bälle sind rund.”

Background

- Natural language and knowledge bases work in different ways
- Formal knowledge is defined exactly
- Natural language expresses knowledge vaguely or “unsharply”
- This gap is not easy to bridge

