

Übungsblatt 2

Teillösungen:

Aufgabe 1: Gegeben Grammatik G mit den Produktionen

- (1) $S \rightarrow A a A b$
- (2) $S \rightarrow B b B a$
- (3) $A \rightarrow \varepsilon$
- (4) $B \rightarrow \varepsilon$

a) Welche Wörter werden von G generiert?

$\Rightarrow ab$ und ba

d) LR(0)-Punktregel-Mengen und LR(0)-Tabelle:

```
[0, [r<B, [., 1], r<S, [., B, b, B, b], r<A, [., 1], r<S, [., A, a, A, b], r<S+, [., S], 1]]
[1, [r<S, [B, ., b, B, b], 1]]
[2, [r<S, [A, ., a, A, b], 1]]
[3, [r<S+, [S, .], 1]]
[4, [r<B, [., 1], r<S, [B, b, ., B, b], 1]]
[5, [r<S, [B, b, B, ., b], 1]]
[6, [r<S, [B, b, B, b, .], 1]]
[7, [r<A, [., 1], r<S, [A, a, ., A, b], 1]]
[8, [r<S, [A, a, A, ., b], 1]]
[9, [r<S, [A, a, A, b, .], 1]]
[0, A, 2]
[0, B, 1]
[0, S, 3]
[1, b, 4]
[2, a, 7]
[4, B, 5]
[5, b, 6]
[7, A, 8]
[8, b, 9]
[[0, a, [[r, 3], [r, 4]]], [0, b, [[r, 3], [r, 4]]], [0, $, [[r, 3], [r, 4]]], [0, A, [2]], [0, B, [1]], [0, S, [3]]]
[[1, a, []], [1, b, [4]], [1, $, []], [1, A, []], [1, B, []], [1, S, []]]
[[2, a, [7]], [2, b, []], [2, $, []], [2, A, []], [2, B, []], [2, S, []]]
[[3, a, []], [3, b, []], [3, $, [acc]], [3, A, []], [3, B, []], [3, S, []]]
[[4, a, [[r, 4]]], [4, b, [[r, 4]]], [4, $, [[r, 4]]], [4, A, []], [4, B, [5]], [4, S, []]]
[[5, a, []], [5, b, [6]], [5, $, []], [5, A, []], [5, B, []], [5, S, []]]
[[6, a, [[r, 2]]], [6, b, [[r, 2]]], [6, $, [[r, 2]]], [6, A, []], [6, B, []], [6, S, []]]
[[7, a, [[r, 3]]], [7, b, [[r, 3]]], [7, $, [[r, 3]]], [7, A, [8]], [7, B, []], [7, S, []]]
[[8, a, []], [8, b, [9]], [8, $, []], [8, A, []], [8, B, []], [8, S, []]]
[[9, a, [[r, 1]]], [9, b, [[r, 1]]], [9, $, [[r, 1]]], [9, A, []], [9, B, []], [9, S, []]]
[...]
```

e) Ist die Grammatik eine SLR-Grammatik (Begründung)?

\Rightarrow Nein!

s_0 -Zeile enthält für a und b jeweils 2 Reduktionen die mit SLR-Lookahead nicht weiter eingeschränkt werden können.

Aufgabe 2: Gegeben sei die Grammatik mit den Produktionen

- (1) $S \rightarrow A S$
- (2) $S \rightarrow b$
- (3) $A \rightarrow S A$
- (4) $A \rightarrow a$

LR(0)-Punktregel-Mengen und LR(0)-Tabelle:

```
[0,[r(A,[.,a]),r(S,[.,b]),r(A,[.,S,A]),r(S,[.,A,S]),r(S+,[.,S])]]
[1,[r(A,[a,.])]]
[2,[r(S,[b,.])]]
[3,[r(A,[.,a]),r(S,[.,b]),r(A,[.,S,A]),r(S,[.,A,S]),r(S,[A,.,S])]]
[4,[r(S,[.,b]),r(A,[.,a]),r(S,[.,A,S]),r(A,[.,S,A]),r(S+,[S,.]),r(A,[S,.,A])]]
[5,[r(S,[.,b]),r(A,[.,a]),r(S,[.,A,S]),r(A,[.,S,A]),r(S,[A,S,.)],r(A,[S,.,A])]]
[6,[r(S,[.,b]),r(A,[.,a]),r(S,[.,A,S]),r(A,[.,S,A]),r(A,[S,.,A])]]
[7,[r(A,[.,a]),r(S,[.,b]),r(A,[.,S,A]),r(S,[.,A,S]),r(A,[S,A,.)],r(S,[A,.,S])]]
[0,A,3]
[0,S,4]
[0,a,1]
[0,b,2]
[3,A,3]
[3,S,5]
[3,a,1]
[3,b,2]
[4,A,7]
[4,S,6]
[4,a,1]
[4,b,2]
[5,A,7]
[5,S,6]
[5,a,1]
[5,b,2]
[6,A,7]
[6,S,6]
[6,a,1]
[6,b,2]
[7,A,3]
[7,S,5]
[7,a,1]
[7,b,2]
[[0,a,[1]], [0,b,[2]], [0,$,[ ]], [0,A,[3]], [0,S,[4]]]
[[1,a,[r,4]], [1,b,[r,4]], [1,$,[r,4]], [1,A,[ ]], [1,S,[ ]]]
[[2,a,[r,2]], [2,b,[r,2]], [2,$,[r,2]], [2,A,[ ]], [2,S,[ ]]]
[[3,a,[1]], [3,b,[2]], [3,$,[ ]], [3,A,[3]], [3,S,[5]]]
[[4,a,[1]], [4,b,[2]], [4,$,[acc]], [4,A,[7]], [4,S,[6]]]
[[5,a,[1,[r,1]], [5,b,[2,[r,1]], [5,$,[r,1]], [5,A,[7]], [5,S,[6]]]
[[6,a,[1]], [6,b,[2]], [6,$,[ ]], [6,A,[7]], [6,S,[6]]]
[[7,a,[1,[r,3]], [7,b,[2,[r,3]], [7,$,[r,3]], [7,A,[3]], [7,S,[5]]]
```

Aufgabe 3: Gegeben sei die Grammatik mit den Produktionen

- (1) $S \rightarrow NP VP$
- (2) $VP \rightarrow VP PP$
- (3) $VP \rightarrow v NP$
- (4) $NP \rightarrow d N1$
- (5) $N1 \rightarrow a N1$
- (6) $N1 \rightarrow n$
- (5) $N1 \rightarrow \epsilon$

LR(0)-Punktregel-Mengen und LR(0)-Tabelle:

```

0, [r(NP, [., d, N1]), r(S, [., NP, UP]), r(S+, [., S])]]
1, [r(N1, [., l]), r(N1, [., n]), r(N1, [., a, N1]), r(NP, [d, ., N1])]]
2, [r(UP, [., v, NP]), r(UP, [., UP, PP]), r(S, [NP, ., UP])]]
3, [r(S+, [S, ., l])]]
4, [r(N1, [n, ., l])]]
5, [r(N1, [., l]), r(N1, [., n]), r(N1, [., a, N1]), r(N1, [a, ., N1])]]
6, [r(NP, [d, N1, ., l])]]
7, [r(N1, [a, N1, ., l])]]
8, [r(NP, [., d, N1]), r(UP, [v, ., NP])]]
9, [r(PP, [., p, NP]), r(S, [NP, UP, ., l]), r(UP, [UP, ., PP])]]
10, [r(UP, [v, NP, ., l])]]
11, [r(NP, [., d, N1]), r(PP, [p, ., NP])]]
12, [r(UP, [UP, PP, ., l])]]
13, [r(PP, [p, NP, ., l])]]
0, NP, 2]
0, S, 3]
0, d, 1]
1, N1, 6]
1, a, 5]
1, n, 4]
2, UP, 9]
2, v, 8]
5, N1, 7]
5, a, 5]
5, n, 4]
8, NP, 10]
8, d, 1]
9, PP, 12]
9, p, 11]
11, NP, 13]
11, d, 1]
[0, a, [], [0, d, [1]], [0, n, []], [0, p, []], [0, v, []], [0, $, []], [0, N1, []], [0, NP, [2]], [0, PP, []], [0, S, [3]], [0, UP, []]]
[1, a, [5, [r, 7]], [1, d, [r, 7]], [1, n, [4, [r, 7]], [1, p, [r, 7]], [1, v, [r, 7]], [1, $, [r, 7]], [1, N1, [6]], [1, NP, [1]], [1, PP, [1]], [1, S, [1]], [1, UP, [1]]]
[2, a, [1], [2, d, [1]], [2, n, [1]], [2, p, [1]], [2, v, [8]], [2, $, [1]], [2, N1, [1]], [2, NP, [1]], [2, PP, [1]], [2, S, [1]], [2, UP, [9]]]
[3, a, [1], [3, d, [1]], [3, n, [1]], [3, p, [1]], [3, v, [1]], [3, $, [acc]], [3, N1, [1]], [3, NP, [1]], [3, PP, [1]], [3, S, [1]], [3, UP, [1]]]
[4, a, [r, 6]], [4, d, [r, 6]], [4, n, [r, 6]], [4, p, [r, 6]], [4, v, [r, 6]], [4, $, [r, 6]], [4, N1, [1]], [4, NP, [1]], [4, PP, [1]], [4, S, [1]], [4, UP, [1]]]
[5, a, [5, [r, 7]], [5, d, [r, 7]], [5, n, [4, [r, 7]], [5, p, [r, 7]], [5, v, [r, 7]], [5, $, [r, 7]], [5, N1, [7]], [5, NP, [1]], [5, PP, [1]], [5, S, [1]], [5, UP, [1]]]
[6, a, [r, 4]], [6, d, [r, 4]], [6, n, [r, 4]], [6, p, [r, 4]], [6, v, [r, 4]], [6, $, [r, 4]], [6, N1, [1]], [6, NP, [1]], [6, PP, [1]], [6, S, [1]], [6, UP, [1]]]
[7, a, [r, 5]], [7, d, [r, 5]], [7, n, [r, 5]], [7, p, [r, 5]], [7, v, [r, 5]], [7, $, [r, 5]], [7, N1, [1]], [7, NP, [1]], [7, PP, [1]], [7, S, [1]], [7, UP, [1]]]
[8, a, [1], [8, d, [1]], [8, n, [1]], [8, p, [1]], [8, v, [1]], [8, $, [1]], [8, N1, [1]], [8, NP, [10]], [8, PP, [1]], [8, S, [1]], [8, UP, [1]]]
[9, a, [r, 1]], [9, d, [r, 1]], [9, n, [r, 1]], [9, p, [11, [r, 1]], [9, v, [r, 1]], [9, $, [r, 1]], [9, N1, [1]], [9, NP, [1]], [9, PP, [12]], [9, S, [1]], [9, UP, [1]]]
[10, a, [r, 3]], [10, d, [r, 3]], [10, n, [r, 3]], [10, p, [r, 3]], [10, v, [r, 3]], [10, $, [r, 3]], [10, N1, [1]], [10, NP, [1]], [10, PP, [1]], [10, S, [1]], [10, UP, [1]]]
[11, a, [1], [11, d, [1]], [11, n, [1]], [11, p, [1]], [11, v, [1]], [11, $, [1]], [11, N1, [1]], [11, NP, [13]], [11, PP, [1]], [11, S, [1]], [11, UP, [1]]]
[12, a, [r, 2]], [12, d, [r, 2]], [12, n, [r, 2]], [12, p, [r, 2]], [12, v, [r, 2]], [12, $, [r, 2]], [12, N1, [1]], [12, NP, [1]], [12, PP, [1]], [12, S, [1]], [12, UP, [1]]]
[13, a, [r, 8]], [13, d, [r, 8]], [13, n, [r, 8]], [13, p, [r, 8]], [13, v, [r, 8]], [13, $, [r, 8]], [13, N1, [1]], [13, NP, [1]], [13, PP, [1]], [13, S, [1]], [13, UP, [1]]]

```