

# Page Ranking WordNet Synsets: An Application to Opinion Mining

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## 1 Introduction

- Overview
- Hypotheses

## 2 Setup

- Algorithm
- Ressources

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- Different Experiments
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## Goal

Rank terms in respect to how strongly they posses the semantic property of “positivity” and “negativity”.

## Method

Transform WordNet into a graph and apply PageRank to it.

## Motivation

“positivity” and “negativity” are two properties that are of central importance in sentiment analysis (the discipline that deals with the analysis of text in regards to opinion-related properties (ORPs))

# WordNet

WordNet is a lexical database for the English language. Words are organized in synsets and divided into nouns, verbs, adjectives and adverbs.

## Example

S: (n) **tree** (a tall perennial woody plant having a main trunk and branches forming a distinct elevated crown; includes both gymnosperms and angiosperms)

Special graph structure:

- Binary relation  $s_i \triangleright s_k$  connects nodes
- “*a term belonging to synset  $s_k$  occurs in the gloss of synset  $s_i$* ”
- Result is a directed graph
- Relations can be obtained from eXtended WordNet

## Hypotheses

## Hypotheses

- the  $s_i \triangleright s_k$  relation transmits the semantic properties from  $s_i$  to  $s_k$ .
- different senses of the same term have different ORPs

## Example

**S:** (n) **good** (benefit) "for your own good"; "what's the good of worrying?"

good  $\triangleright$  benefit

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# Definitions

- $G = \langle N, L \rangle$  is a directed graph with  $N$  being its set of nodes and  $L$  its set of directed links
- $|N| \times |N|$  is the *adjacency matrix* of  $G$ , such that  $W_0[i, j] = 1$  iff there is a link from  $n_i$  to  $n_j$  and 0 otherwise
- $B(i)$  denotes the *backward neighbours* of  $n_i$  as the set  $\{n_j | W_0[j, i] = 1\}$
- $F(i)$  denotes the *forward neighbours* of  $n_i$  as the set  $\{n_j | W_0[i, j] = 1\}$
- $W$  is the *row-normalized adjacency matrix* of  $G$ , such that  $W[i, j] = \frac{1}{|F(i)|}$  iff  $W_0[i, j] = 1$  and  $W_0[i, j] = 0$  otherwise

# Algorithm (1)

- Input: the row-normalized Matrix  $W$
- Output: a vector  $a = \langle a_1, \dots, a_{|N|} \rangle$
- two independent rankings have to be computed for positivity and negativity

The vector is computed iteratively with the formula:

$$a_i^{(k)} \leftarrow \alpha \sum_{j \in B_{(i)}} \frac{a_j^{(k-1)}}{|F(j)|} + (1 - \alpha)e_i$$

- $a_i^{(k)}$  measures the score of  $n_i$  for positivity or negativity in the  $k$ -th iteration
- $e_i$  is a constant such that  $\sum_i e_i = 1$
- $\alpha$  is a control parameter between 0 and 1

## Algorithm (2)

As a vector:

$$a^{(k)} = \alpha a^{(k-1)} W + (1 - \alpha) e$$

- the assumption is, that a node  $n_i$  has a high score when it has many high-scoring backward neighbours, with only few forward neighbours each
- a node  $n_j$  passes its score to its forward neighbours  $F(j)$  but this score is equally divided between the members of  $F(j)$
- $e_i$  is used to “smooth” those scores as to avoid that scores get trapped in cliques with backward neighbours but no forward neighbours
- the algorithm runs until it reaches a stable state

## eXtended WordNet

- based on WordNet 2.0
- nodes that participate in the  $s_i \triangleright s_k$  relation are connected
- automatically generated  $\implies$  noise

## Micro-WNOp

- used as a benchmark for PageRank
- 1,105 WordNet synsets, each with a triplet of scores for positivity, negativity and neutrality
- representative of WordNet in regards to part of speech, but not ORPs
- generated by randomly selecting 100 terms of each category (positive, negative, neutral)

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# Parameter Tweaking (1)

Experiments are done with different values for  $e_i$ :

- **e1:** all values are set to  $\frac{1}{|N|}$ , this is used as the baseline
- **e2:** non-null  $e_i$  scores for synsets that contain the adjective good (bad), null scores for everything else
- **e3:** non-null  $e_i$  scores for synsets that contain at least one of the following adjectives good, excellent, positive, fortunate, correct, superior
- **e4:** utilizes Senti-WordNet, a resource in which every synsets is assigned a triplet of scores for positivity, negativity and neutrality,  $e_i$  values for each synset are proportional to those Senti-WordNet scores
- **e5:** same as **e4** with a newer version of Senti-WordNet

## Parameter Tweaking (2)

The second parameter that allows tweaking is  $\alpha$

- $\alpha$  determines the contribution of  $a^{(k)}$  and  $e$
- $\alpha = 0$  makes  $a^{(k)}$  coincide with  $e$ , thus disregards the contribution of PageRank
- $\alpha = 1$  makes discards  $e$  and makes  $a^{(k)}$  dependent on the topology of the graph, resulting in an “unbiased” ranking.
- $\alpha$  is optimized by iterating 101 times through the algorithm and incrementing  $\alpha$  by 0.1 every time and then picking the best result

# Effectiveness measure (1)

For a pair of nodes  $(n_i, n_j)$

$n_i$  can either

- precede  $n_j$ :  $(n_i \preceq n_j)$
- succeed  $n_j$ :  $(n_i \succeq n_j)$
- be tied with  $n_j$ :  $(n_i \approx n_j)$

## Effectiveness measure (2)

Rankings are evaluated by computing the *p-normalized Kendall  $\tau$  distance* between prediction and Micro-WNOp rankings. Defined as:

$$\tau_p = \frac{n_d + p \cdot n_u}{Z}$$

- $n_d$ : number of discordant pairs (inverted ordering)
- $n_u$ : number of pairs ordered in the gold standard and tied in the
- $p$ : penalization attributed to every pair, set to  $p = \frac{1}{2}$ , equal to the probability of guessing  
     $\Rightarrow$  no gain from assigning ties randomly
- $Z$ : normalization, equal to number of ordered pairs in gold standard, make the range of  $\tau_p = [0, 1]$

## Evaluation (1)

		Positivity	Negativity
e	PageRank?	$\tau_p$	$\tau_p$
e1	before	.500	.500
	after	.596 (-0.81%)	.549 (9.83%)
e2	before	.500	.500
	after	.467 (-6.67%)	.502 (0.31%)
e3	before	.500	.500
	after	.471 (-5.79%)	0.45 (-0.92)
e4	before	.349	296
	after	.349 (-6.75%)	.284 (-4.31%)
e5	before	.400	.407
	after	.380 (-4.88%)	.393 (-3.45%)

Values of  $\tau_p$  between predicted ranking and gold standard rankings (smaller is better) with different  $e_i$  vectors

## Evaluation (2)

### Sets

Training and Testing was done on Micro-WNOp, which was divided into three parts

- **Common:** 110 synsets, used for aligning evaluation criteria
- **Group1:** 496 synsets, the validation set
- **Group2:** 499 synsets, independently evaluated from Group1, used as a test set

- for positivity, all rankings produced with pagerank are better than the baseline
- for negativity, Senti-WordNet based vectors outperformed everything else

## Evaluation (3)

- e4 performs the best
- key to good performance is a combination of positivity flow and internal source of score  $e$ ;
- however improvement comes through an already high-quality ressource
- **but** Senti-WordNet was built by a semi-supervised learning Method, that uses the e2 vector as its trainings data so it was not necessarily to be expected that e4 would outperform e2

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# Conclusion and Outlook

## Proof-of-concept

The paper can be seen as a proof-of-concept for the applicability of random-walk algorithms to the determination of semantic properties on a synset

## Outlook

this model can be applied to other categorizational task, in which semantic properties of terms have to be compared (i.e. membership in a domain)

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