Graph-based Regularization of Ranking (MADSPAM contribution)

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MADSPAM is and industrial research project supported by french research agency



Consortium:



Purpose: automatic SPAM detection in large networks **Duration:** 2008-2010 **Leader:** Orange labs Problem statement (1 slide)

Approach (8 slides)



Experiments and Results (4 slides)

ECML/PKDD 2010 Web Quality Ranking Challenge



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• host instances $\mathcal{I} = \mathcal{I}_{train} \uplus \mathcal{I}_{test}$ ITR - Classification $(i \in \mathcal{I})$ • 10 categories $c \in C$ C no independence: trust vs. spam or neutral vs. biased $1(i,j) \mid y_i \mid \langle y_i \rangle$ • reference ranking levels y_i^c $(i \in \mathcal{I}_{train}, c \in C)$ • link matrix $n_{i,i} = |\{\text{links between i and }j\}|$ Learning to Rank intuition

Predict (for each category c):

host features x_i

Given:

• a linear ordering of \mathcal{I}_{test} optimizing NDCG



Critical ranking pairs

$$D^{c} = \{(i, i) \mid v_{i}^{c} < v_{i}^{c}\}$$



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LTR \neq Classification $(i \in \mathcal{I})$ Critical ranking pairs $D^{c} = \{(i, j) \mid y_{i}^{c} < y_{i}^{c}\}$ $(i \in \mathcal{I}_{train}, c \in C)$ Learning to Rank intuition

Given:

- host instances $\mathcal{I} = \mathcal{I}_{train} \uplus \mathcal{I}_{test}$
- host features x_i
- 10 categories $c \in C$ no independence:

trust vs. spam or neutral vs. biased

• reference ranking levels y_i^c

• link matrix $n_{i,i} = |\{\text{links between i and }j\}|$

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Approach

Outline of our approach

Objective:

Combine efficiently instance-level information and relational information

Two-steps semi-transductive approach:

- **inductive step:** train a ranking model on instance-based features
 - RankBoost model [Freund & Shapire 2002]
- transductive step: use relational data to consolidate rank predictions
 two methods:
 - two methods:
 - smoothing regularization (WITCH [Abernethy et al. 2008] like)
 - multi-category iterative algorithm [Denoyer et al. 2010]

Instance-based Ranking Model: RankBoost

Rankboost loss function [Freund & Shapire 2002]

Target Loss : weighted pairwise disagreement (1 - weighted Kendall τ)

$$W = \sum_{(x_0, x_1) \in D} D(x_0, x_1) \cdot [H(x_0) \ge H(x_1)]$$

- importance of respecting $x_0 < x_1$ given by matrix $D(x_0, x_1) \in [0, 1]$
- if same weight for each pair: same as Kendall τ
- approximation of other IR metrics (NDCG,ERR,MAP...) via D matrix
- hard to optimize

Rankboost convex approximation of $\ensuremath{\mathcal{W}}$

$$W \leq \sum_{(x_0, x_1) \in D} D(x_0, x_1) \cdot e^{H(x_0) - H(x_1)}$$

- errors should have small rank difference
- nice properties of the exponential



Rankboost algorithm [Freund & Shapire 2002]

Rankboost set of functions

• We define a family of weak ranking functions :

$$h:\mathcal{X}\to I\!R$$

• The space to explore is the set of linear combinations of these weak functions:

$$H_T(\mathbf{x}) = \sum_t^T \alpha_t h_t(\mathbf{x})$$

Rankoost principle

- Boosting is iterative, at each step:
 - it keeps trace of wrongly ordered pairs by changing the D matrix
 - it searches the weak model that best reduces the loss for these pairs
- This is a kind of gradient descent
- T set by cross-validation

Remark: no category interdependence

Weak learners

Most simple: feature selection (linear model) one parameter: *i*

$$h(x)=f_i(x)$$

Most common : decision stump two parameters: *i* and θ $h(x) = \begin{cases} 1, & \text{if } x_i > \theta, \\ 0, & \text{if } x_i \le \theta, \end{cases}$

Most powerful : grids and trees

unstable: need a regularization

Sokolov et al. (MADSPAM consortium)

Graph-based Regularization

Regularization-based propagation (WITCH [Abernethy et al. 2008] like)

Assumptions

- **Onsistency:** a good ranking score should be close to the instance-based model
- Smoothness: it should associate similar ranks to connected nodes

Hence, for a category *c*, the loss is defined as:

$$L^{c} = \underbrace{\sum_{i \in \mathcal{I}} (z_{i}^{c} - \hat{y}_{i}^{c})^{2}}_{\text{consistency}} + \lambda \underbrace{\sum_{i,j \in \mathcal{I}} \mathbf{w}_{i,j} (z_{i}^{c} - z_{j}^{c})^{2}}_{\text{smoothness}}.$$

- inference: stochastic gradient descent
- λ set by cross-validation

Remarks

- simple and elegant use of relational structure
- strong assumptions about graph locality
- no category interdependence



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Iterative propagation

Objective

- Try to learn the propagation scheme of the labels (instead of making assumptions about how the labels propagate)
- Try lo learn propagation schemes between different labels (like trust $\Rightarrow \neg$ spam)

Solution: extension of the Iterative Classification Algorithm

- Propagation is learnt through a classifier
- Iterative inference process

A graph to label

- Initial labeling made with instance-based model (*RankBoost here*)
- Iterative inference process:
 - Pick randomly a node n_i
 - Consider the neighbourhood N₁ of this node
 - Compute a new score using the neighboring information:
 - New score is given by a linear classifier: $< \theta, \Phi(n_i, N_i) >$
 - $\Phi(n_i, \mathcal{N}_i)$ is a features vector of n_i and \mathcal{N}_i
 - Learning of θ made on a labeled graph.
- repeat...
- No assumptions made on the diffusion process



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Consider a multi-label graph

- Multi-label graph = Set of real valued graphs
- With additional relations
- The model is able to learn complex *inter-categories* and *inter-documents* propagation schemes
- See Iterative Annotation of Multi-relational Social Networks S. Peters, L. Denoyer and P. Gallinari. In ASONAM 2010 for details.



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Experiments and Results

Experiments

5-fold cross validation



Data preprocessing (with intensive use of sort, sed , join, awk, perl, c++...)

- graph reweighting according to cosine similarity between hosts
- added feature: weight sensitive Pagerank PR set
 - PR_90: almost traditional PR
 - PR_10: mostly cosine-based PR
- Used 100, 1000, and then 70000 words as sparse features to train RB PR100W, PR1K, PRA11

Top spam features according to RankBoost

feature	α^{f}
top_1000_query_prec_hp	1.99
PR_D0.80	1.29
top_100_query_prec_hp	1.16
"http"	1.05
frac_visible_hp	1.03
top_100_query_prec_avg	0.99
num_title_words_std	0.89
frac_anchor_hp	0.82
PR_D0.20	-0.66
num_title_words_mp	-0.75
top_1000_corpus_rec_hp	-0.78
frac_anchor_avg	-0.89
"money"	-0.92
compress_rate_hp	-0.96
log(siteneighbors3/pagerank)_hp	-1.01
avg_length_avg	-1.25
top_500_corpus_prec_avg	-1.57

Table: Most informative features for spam according to RankBoost cumulative weighting.

Web Quality ranking results

	method	task 1	task 2	task 3	task 3
			(en)	(de)	(fr)
-	basic	0.657	0.905	0.797	0.821
Rank-	PR	0.619	0.916	0.803	0.818
Boost	nPR	0.632	0.911	0.816	0.820
	PR1K	0.649	0.923	0.821	0.845
	PR100W	0.632	0.918	0.805	0.824
Propa-	Reg/PRall	0.696	0.835	0.803	0.794
gation	Iter/PR1K	0.701	0.923	0.816	0.836

Table: Results on the full test set.

	method	task 1	task 2	task 3	task 3	
			(en)	(de)	(fr)	
Propa-	Reg/PRall	0.702	0.817	0.852	0.797	
gation	Iter/PR1K	0.659	0.930	0.835	0.823	

Table: Results on the validation subset.

Per category results

method	spam	news	com	edu	disc	pers	neut	bias	trus
basic	0.810	0.632	0.750	0.782	0.763	0.731	0.511	0.462	0.471
PR	0.682	0.592	0.758	0.803	0.683	0.656	0.406	0.552	0.440
nPR	0.764	0.634	0.784	0.809	0.704	0.741	0.433	0.363	0.453
PR1K	0.677	0.685	0.816	0.880	0.759	0.656	0.462	0.496	0.409
PR100W	0.769	0.633	0.809	0.823	0.698	0.737	0.425	0.350	0.443
Reg/PRall	0.786	0.647	0.825	0.833	0.777	0.765	0.563	0.568	0.495
Iter/PR1K	0.7761	0.737	0.830	0.859	0.739	0.768	0.547	0.551	0.502

Table: Per category results for task 1 on the full test set.

Conclusion & Questions

Thanks for this challenge!

Any question ?